

# Story\_Assignment\_7

2024-11-27

```
library(tidyverse)
data <- read.csv("7_Guineapigdata.csv")
print(data)

##      len      supp      dose
## 1    4.2     Pill Dose0.5
## 2   11.5     Pill Dose0.5
## 3    7.3     Pill Dose0.5
## 4    5.8     Pill Dose0.5
## 5    6.4     Pill Dose0.5
## 6   10.0     Pill Dose0.5
## 7   11.2     Pill Dose0.5
## 8   11.2     Pill Dose0.5
## 9    5.2     Pill Dose0.5
## 10   7.0     Pill Dose0.5
## 11  16.5     Pill Dose1
## 12  16.5     Pill Dose1
## 13  15.2     Pill Dose1
## 14  17.3     Pill Dose1
## 15  22.5     Pill Dose1
## 16  17.3     Pill Dose1
## 17  13.6     Pill Dose1
## 18  14.5     Pill Dose1
## 19  18.8     Pill Dose1
## 20  15.5     Pill Dose1
## 21  23.6     Pill Dose2
## 22  18.5     Pill Dose2
## 23  33.9     Pill Dose2
## 24  25.5     Pill Dose2
## 25  26.4     Pill Dose2
## 26  32.5     Pill Dose2
## 27  26.7     Pill Dose2
## 28  21.5     Pill Dose2
## 29  23.3     Pill Dose2
## 30  29.5     Pill Dose2
## 31  15.2 OrangeJuice Dose0.5
## 32  21.5 OrangeJuice Dose0.5
## 33  17.6 OrangeJuice Dose0.5
## 34  9.7  OrangeJuice Dose0.5
## 35  14.5 OrangeJuice Dose0.5
## 36 10.0 OrangeJuice Dose0.5
## 37  8.2 OrangeJuice Dose0.5
## 38  9.4 OrangeJuice Dose0.5
## 39 16.5 OrangeJuice Dose0.5
## 40  9.7 OrangeJuice Dose0.5
```

```

## 41 19.7 OrangeJuice Dose1
## 42 23.3 OrangeJuice Dose1
## 43 23.6 OrangeJuice Dose1
## 44 26.4 OrangeJuice Dose1
## 45 20.0 OrangeJuice Dose1
## 46 25.2 OrangeJuice Dose1
## 47 25.8 OrangeJuice Dose1
## 48 21.2 OrangeJuice Dose1
## 49 14.5 OrangeJuice Dose1
## 50 27.3 OrangeJuice Dose1
## 51 25.5 OrangeJuice Dose2
## 52 26.4 OrangeJuice Dose2
## 53 22.4 OrangeJuice Dose2
## 54 24.5 OrangeJuice Dose2
## 55 24.8 OrangeJuice Dose2
## 56 30.9 OrangeJuice Dose2
## 57 26.4 OrangeJuice Dose2
## 58 27.3 OrangeJuice Dose2
## 59 29.4 OrangeJuice Dose2
## 60 23.0 OrangeJuice Dose2

library(car)

## Loading required package: carData

levene_test <- leveneTest(data$len ~ data$dose * data$supp, data = data)
print(levene_test)

## Levene's Test for Homogeneity of Variance (center = median)
##          Df F value Pr(>F)
## group      5  1.7086 0.1484
##             54

aov.res <- aov(formula = data$len ~ data$dose * data$supp, data=data)
print(aov.res)

## Call:
##   aov(formula = data$len ~ data$dose * data$supp, data = data)
## 
## Terms:
##           data$dose data$supp data$dose:data$supp Residuals
## Sum of Squares    2426.434    205.350        108.319    712.106
## Deg. of Freedom       2          1                  2          54
## 
## Residual standard error: 3.631411
## Estimated effects may be unbalanced

summary(aov.res)

##                               Df Sum Sq Mean Sq F value    Pr(>F)
## data$dose                 2 2426.4 1213.2  92.000 < 2e-16 ***
## data$supp                  1  205.4   205.4  15.572 0.000231 ***
## data$dose:data$supp        2   108.3    54.2   4.107 0.021860 *
## Residuals                  54   712.1    13.2
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

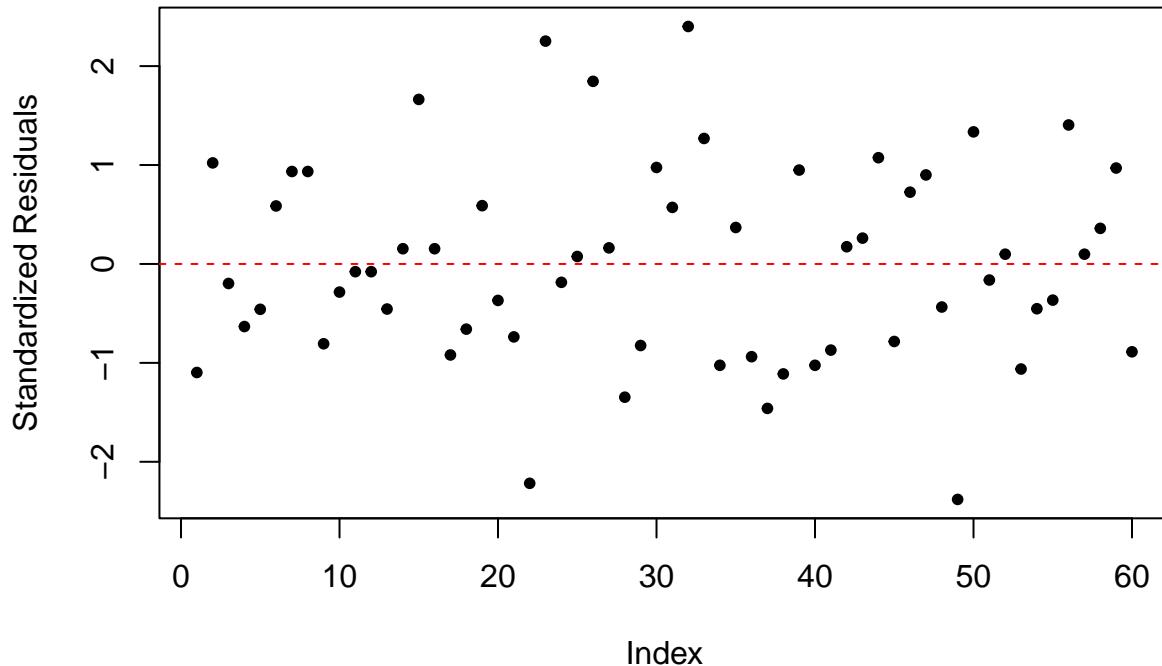
```

```
#Conclusions from Levene's test: Because the p-value is greater than .05, this means that homogeneity of variance is assumed.

#Interpretation of P-values: Factor A (Dose): The p-value shows that this factor is significant, showing a
residuals_std <- rstandard(aov.res)

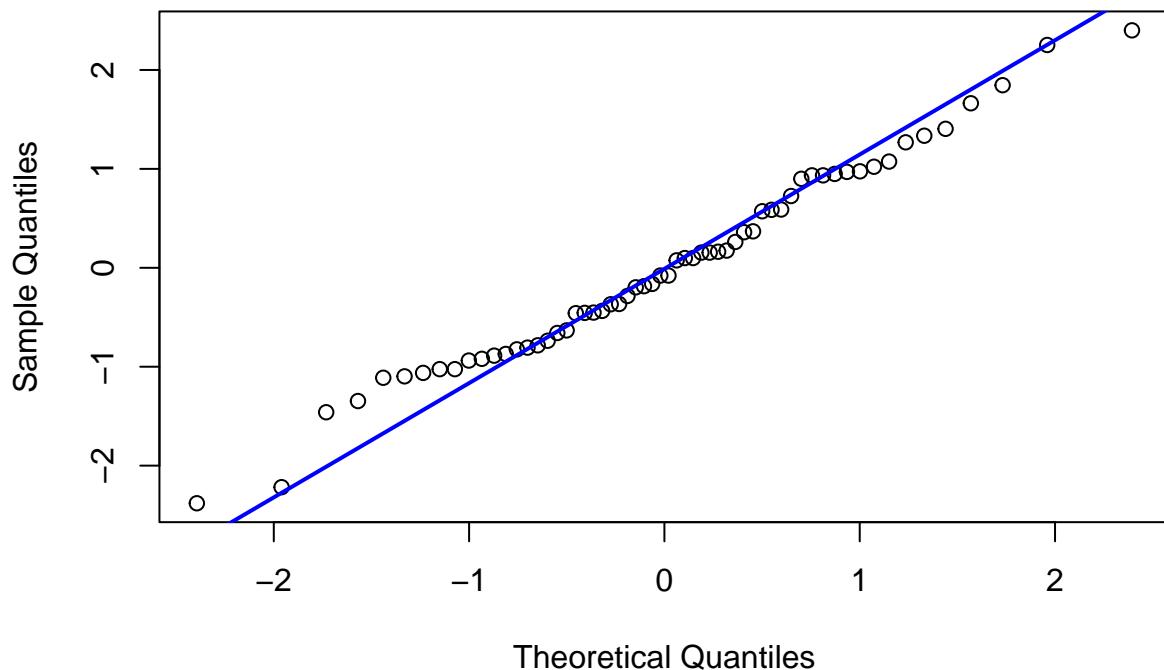
plot(residuals_std, main = "Standardized Residuals Plot", ylab = "Standardized Residuals", xlab = "Index")
abline(h = 0, col = "red", lty = 2)
```

## Standardized Residuals Plot



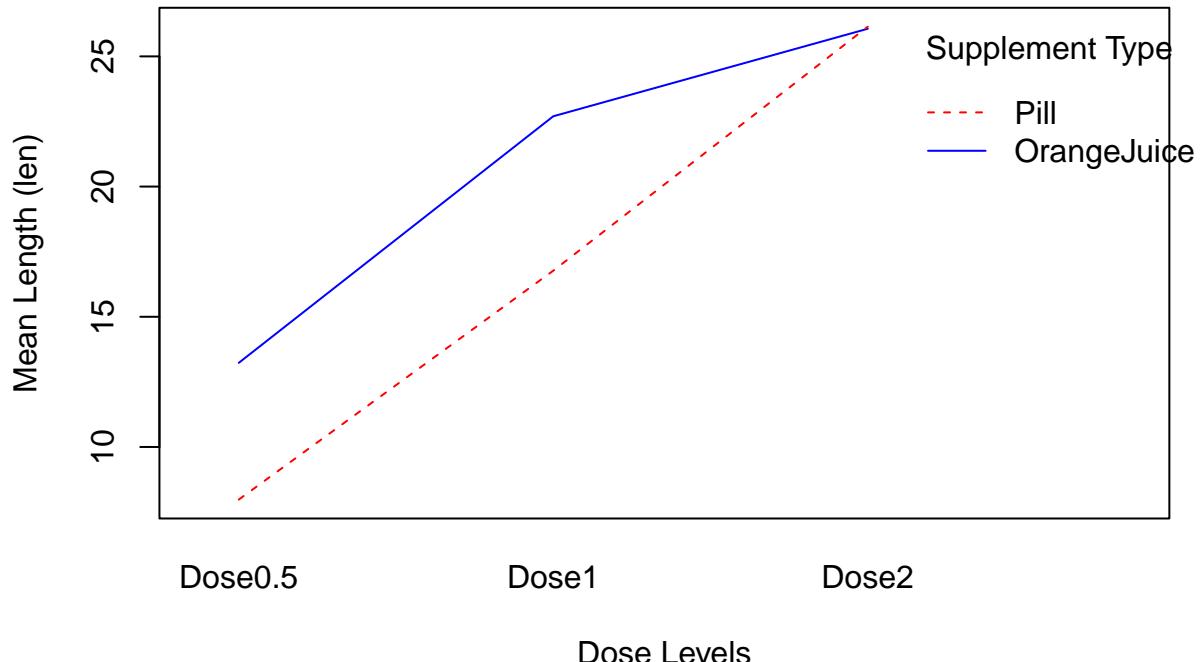
```
qqnorm(residuals_std, main = "Q-Q Plot of Residuals")
qqline(residuals_std, col = "blue", lwd = 2)
```

## Q-Q Plot of Residuals



```
shapiro_test <- shapiro.test(residuals_std)
print(shapiro_test)
```

```
## 
## Shapiro-Wilk normality test
##
## data: residuals_std
## W = 0.98499, p-value = 0.6694
interaction.plot(
  x.factor = data$dose,
  trace.factor = data$supp,
  response = data$len,
  xlab = "Dose Levels",
  ylab = "Mean Length (len)",
  trace.label = "Supplement Type",
  col = c("blue", "red"),
  lty = 1:2
)
```



```
#Interpretations of standardized residuals, QQ-plot and Shapiro-Wilks: In the standarized residuals plot, the points are roughly normally distributed around zero, indicating no significant deviation from normality.

#Interpetation of interaction plot: Becuase the lines are not straight accross and are in fact are sloping upwards, it suggests a dose-response relationship where the effect of the supplement increases with dose. The slopes for the two groups (Pill and OrangeJuice) appear different, suggesting a significant interaction between supplement type and dose.
```

```
grandmean <- mean(data$len)

Ameans <- c(
  mean(data[data$dose == "Dose0.5", "len"]),
  mean(data[data$dose == "Dose1", "len"]),
  mean(data[data$dose == "Dose2", "len"])
)

Bmeans <- c(
  mean(data[data$supp == "Pill", "len"]),
  mean(data[data$supp == "OrangeJuice", "len"])
)

ABmeans <- c(
  mean(data[data$dose == "Dose0.5" & data$supp == "Pill", "len"]),
  mean(data[data$dose == "Dose1" & data$supp == "Pill", "len"]),
  mean(data[data$dose == "Dose2" & data$supp == "Pill", "len"]),
  mean(data[data$dose == "Dose0.5" & data$supp == "OrangeJuice", "len"]),
  mean(data[data$dose == "Dose1" & data$supp == "OrangeJuice", "len"]),
  mean(data[data$dose == "Dose2" & data$supp == "OrangeJuice", "len"])
)

totalss <- sum((data$len - grandmean)^2)

cellss <- (nrow(data) / length(ABmeans)) * sum((ABmeans - grandmean)^2)

errorss <- totalss - cellss
```

```

Afactorss <- (nrow(data) / length(Ameans)) * sum((Ameans - grandmean)^2)

Bfactorss <- (nrow(data) / length(Bmeans)) * sum((Bmeans - grandmean)^2)

interactions <- cellss - Afactorss - Bfactorss

totaldf <- nrow(data) - 1
celldf <- length(ABmeans) - 1
Adf <- length(Ameans) - 1
Bdf <- length(Bmeans) - 1
interactiondf <- Adf * Bdf
errordf <- totaldf - celldf

AMS <- Afactorss / Adf
BMS <- Bfactorss / Bdf
interactionMS <- interactions / interactiondf
errorMS <- errorss / errordf

FA <- AMS / errorMS
FB <- BMS / errorMS
Finteraction <- interactionMS / errorMS

p_value_A <- pf(FA, Adf, errordf, lower.tail = FALSE)
p_value_B <- pf(FB, Bdf, errordf, lower.tail = FALSE)
p_value_interaction <- pf(Finteraction, interactiondf, errordf, lower.tail = FALSE)

list(
  FA = FA,
  FB = FB,
  Finteraction = Finteraction,
  p_value_A = p_value_A,
  p_value_B = p_value_B,
  p_value_interaction = p_value_interaction
)

## $FA
## [1] 91.99996
##
## $FB
## [1] 15.57198
##
## $Finteraction
## [1] 4.106991
##
## $p_value_A
## [1] 4.046291e-18
##
## $p_value_B
## [1] 0.0002311828
##
## $p_value_interaction
## [1] 0.02186027

```

```

anova_table <- data.frame(
  Source = c("Factor A (Dose)", "Factor B (Supplement)", "Interaction (Dose × Supplement)", "Error", "Total"),
  SS = c(Afactorss, Bfactorss, interactions, errorss, totalss),
  DF = c(Adf, Bdf, interactiondf, errordf, totaldf),
  MS = c(AMS, BMS, interactionMS, errorMS, NA),
  F = c(FA, FB, Finteraction, NA, NA),
  p_value = c(p_value_A, p_value_B, p_value_interaction, NA, NA)
)

print(anova_table)

##           Source      SS   DF       MS        F    p_value
## 1 Factor A (Dose) 2426.434  2 1213.21717 91.999965 4.046291e-18
## 2 Factor B (Supplement) 205.350  1 205.35000 15.571979 2.311828e-04
## 3 Interaction (Dose × Supplement) 108.319  2   54.15950  4.106991 2.186027e-02
## 4 Error            712.106 54   13.18715        NA        NA
## 5 Total            3452.209 59          NA        NA        NA

```